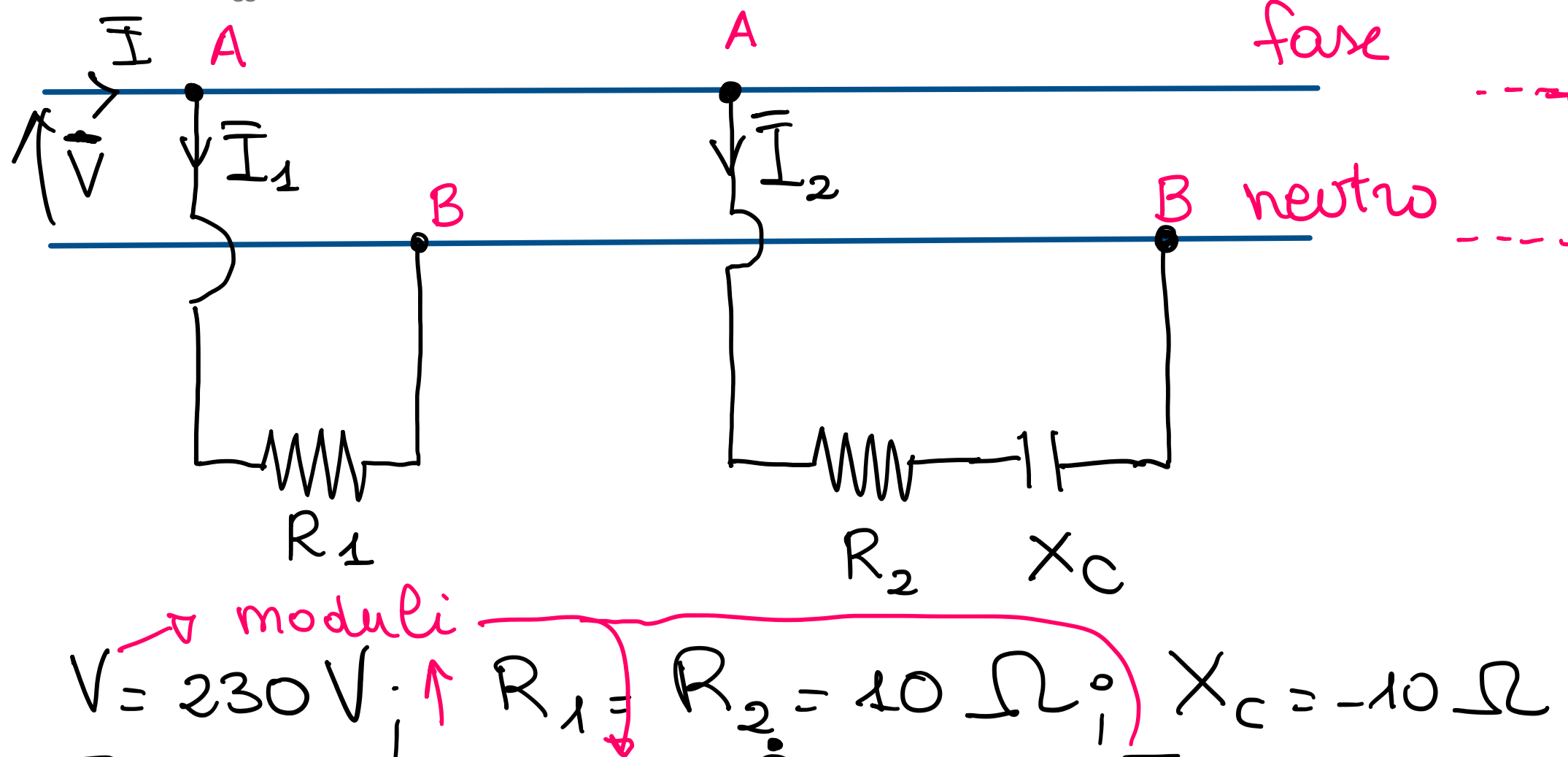


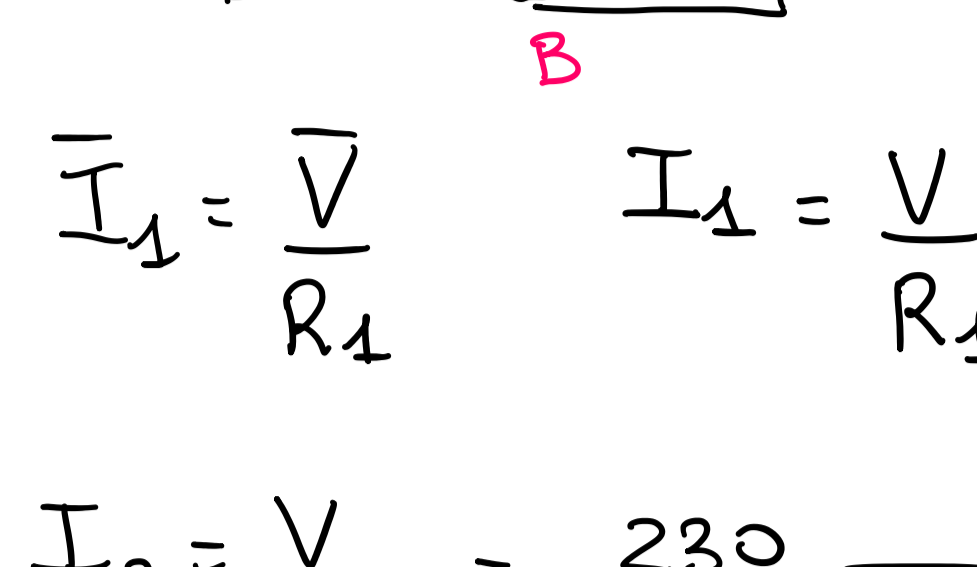
Esercizi sulle Potenze

martedì 26 maggio 2020 15:51



$V = 230V$, $R_1 = 10 \Omega$, $R_2 = 10 \Omega$, $X_c = -10 \Omega$
 Trovare I_1, I_2, S_{TOTALE}, I .

I_2 carichi sono in parallelo tra i morsetti AB e sono sottoposti alla stessa tensione \bar{V} di cui conosco il valore efficace (230V).



$$\bar{I}_1 = \frac{\bar{V}}{R_1} \quad I_1 = \frac{V}{R_1} = \frac{230}{10} = 23 \text{ A}$$

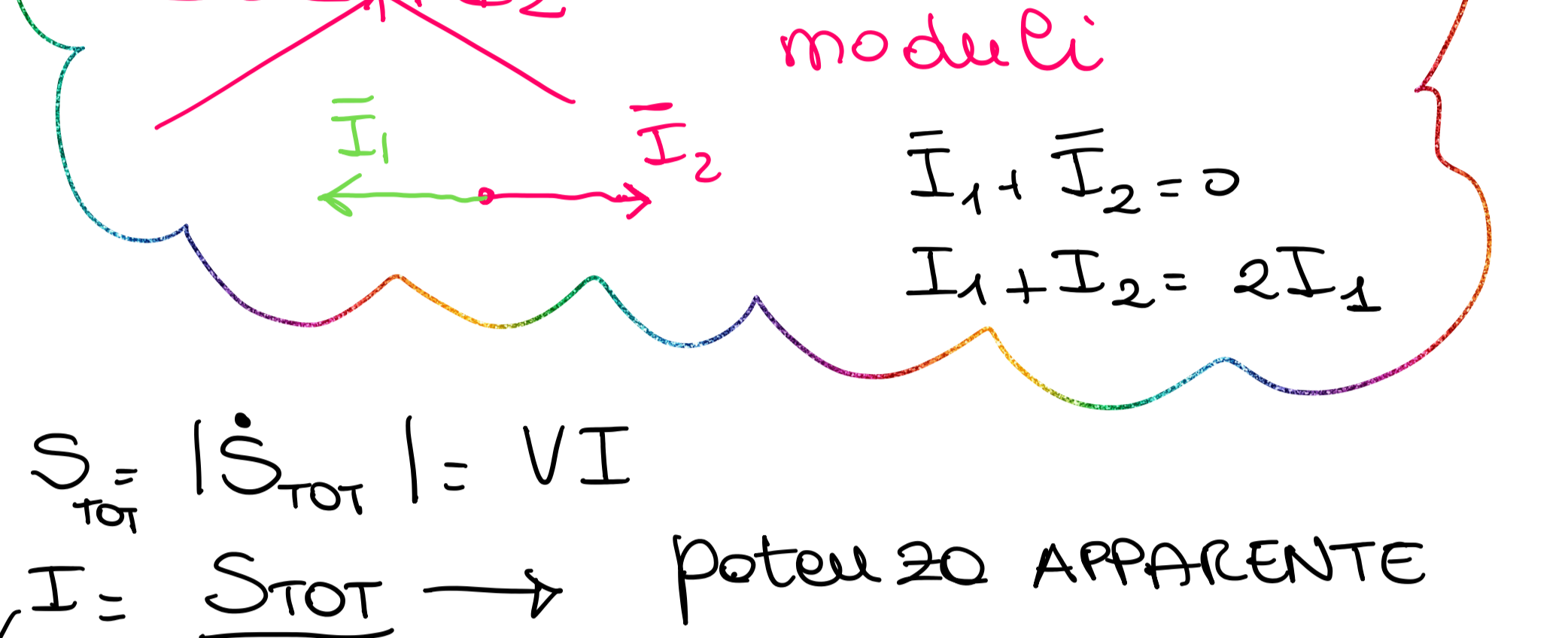
$$I_2 = \frac{V}{|Z_2|} = \frac{230}{|R_2 + jX_c|} = \frac{230}{|10 - j10|} = \frac{23}{|1 - j|} = \frac{23}{\sqrt{1^2 + 1^2}} = \frac{23}{\sqrt{2}} = 16,26 \text{ A}$$

$$S_{TOT} = S_1 + S_2$$

$$S_1 = P_1 + jQ_1 = P_1 = R_1 I_1^2 = 10 (23)^2 = 5290 \text{ W}$$

$$S_2 = Z_2 I_2^2 = (R_2 + jX_c) I_2^2 = (10 - j10) (16,26)^2 = 2644 - j2644 \text{ VA}$$

$$S_{TOT} = S_1 + S_2 = 5290 + 2644 - j2644 = 7934 - j2644$$



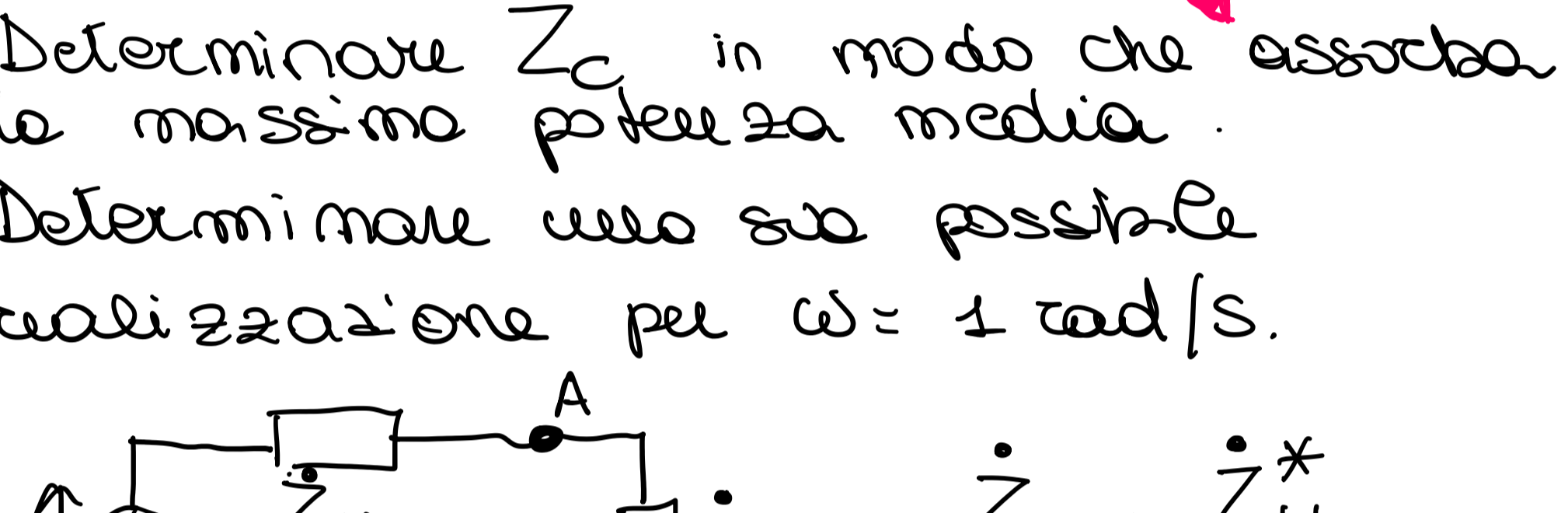
$$S_{TOT} = |S_{TOT}| = VI$$

$I = \frac{S_{TOT}}{V} \rightarrow$ potenza APPARENTE

$$S_{TOT} = \sqrt{7934^2 + 2644^2} = 8363 \text{ VA}$$

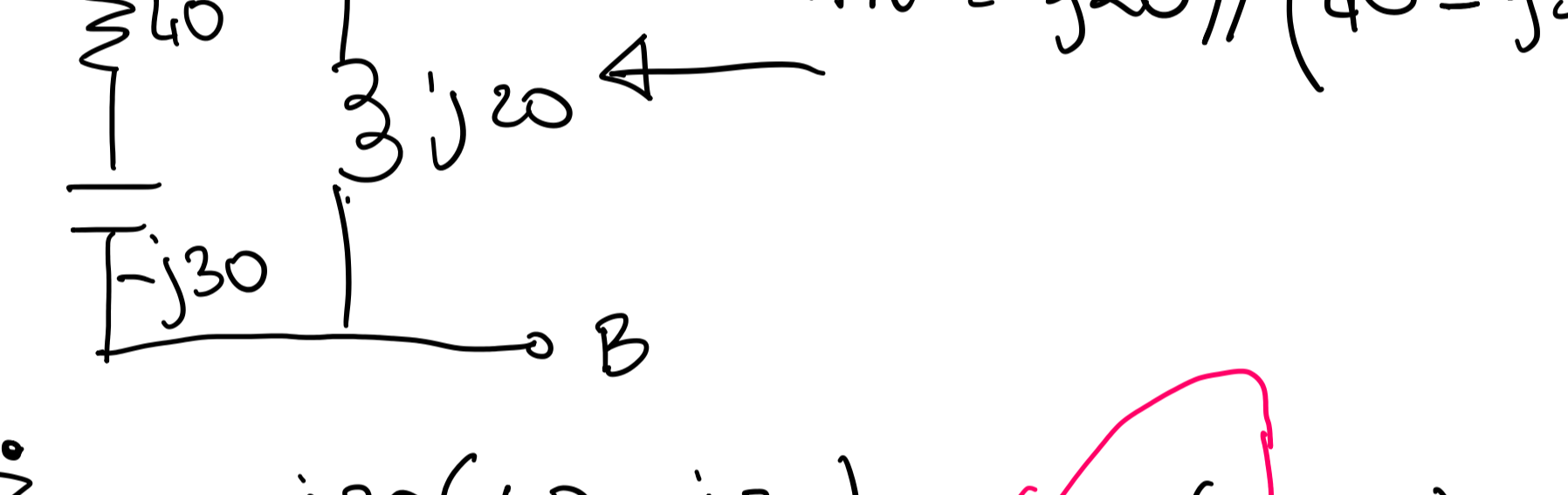
$$I = \frac{8363}{230} = 36,36 \text{ A}$$

MASSIMO TRASFERIMENTO DI POTENZA

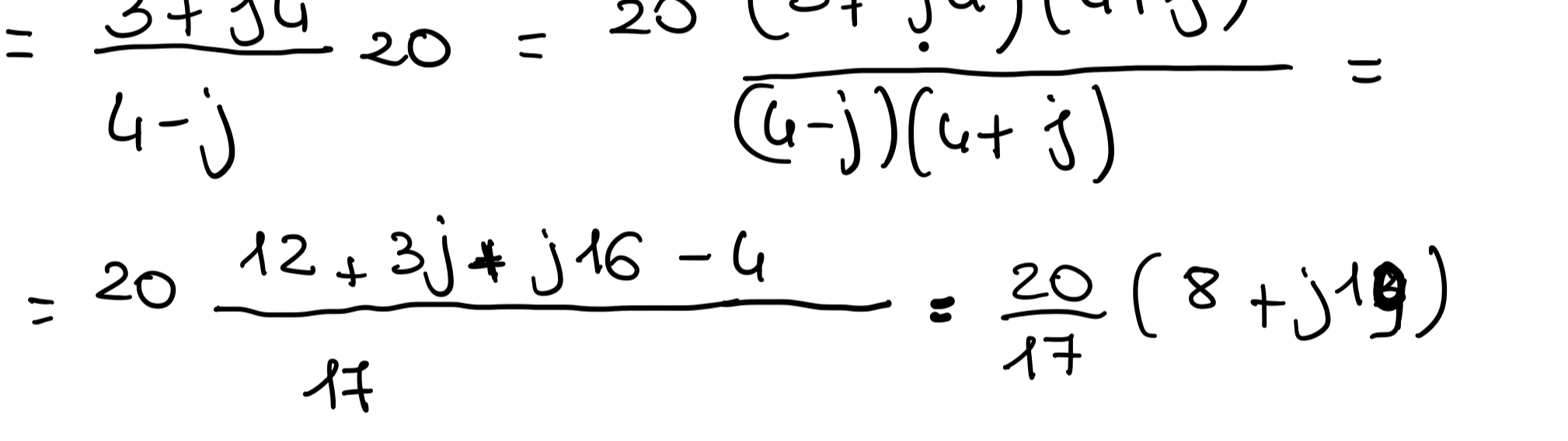


Determinare Z_c in modo che assorba la massima potenza media.

Determinare una sua possibile realizzazione per $\omega = 1 \text{ rad/s}$.



Trovare la Z_{th} : disattivo la rete.



$$Z_{th} = \frac{j20(40 - j30)}{j20 + 40 - j30} = \frac{j20(4 - j3)}{4 - j}$$

$$= \frac{3 + j4}{4 - j} 20 = 20 \frac{(3 + j4)(4 + j)}{(4 - j)(4 + j)} = 20 \frac{12 + 3j + j16 - 4}{17} = \frac{20}{17} (8 + j19)$$

$$= 9,41 + j22,3$$

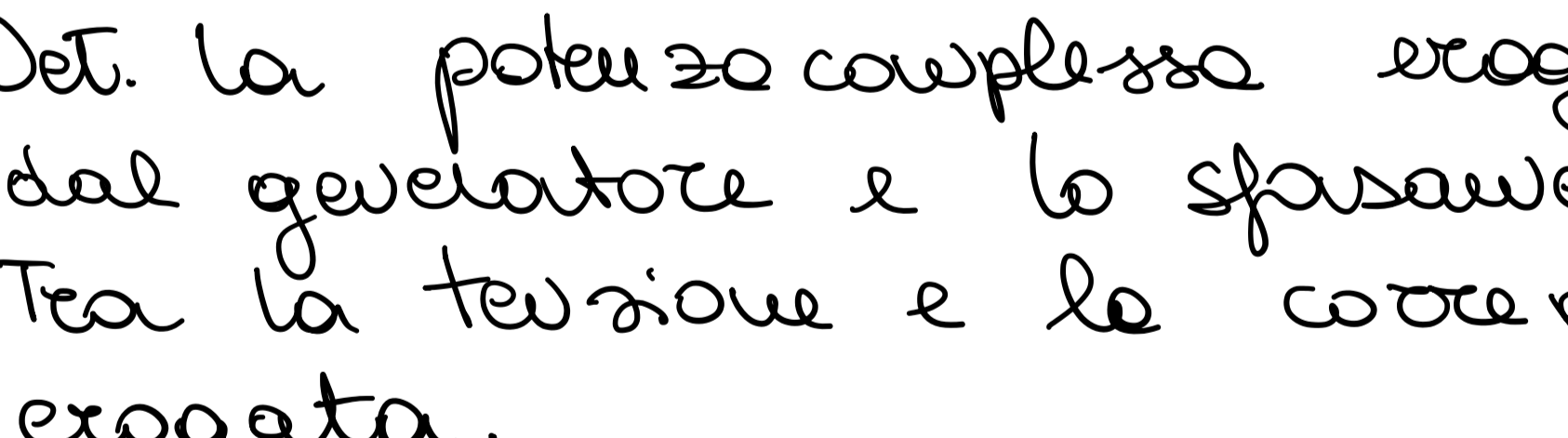
$$Z_c = Z_{th}^* = 9,41 - j22,3$$

Realizzazione serie

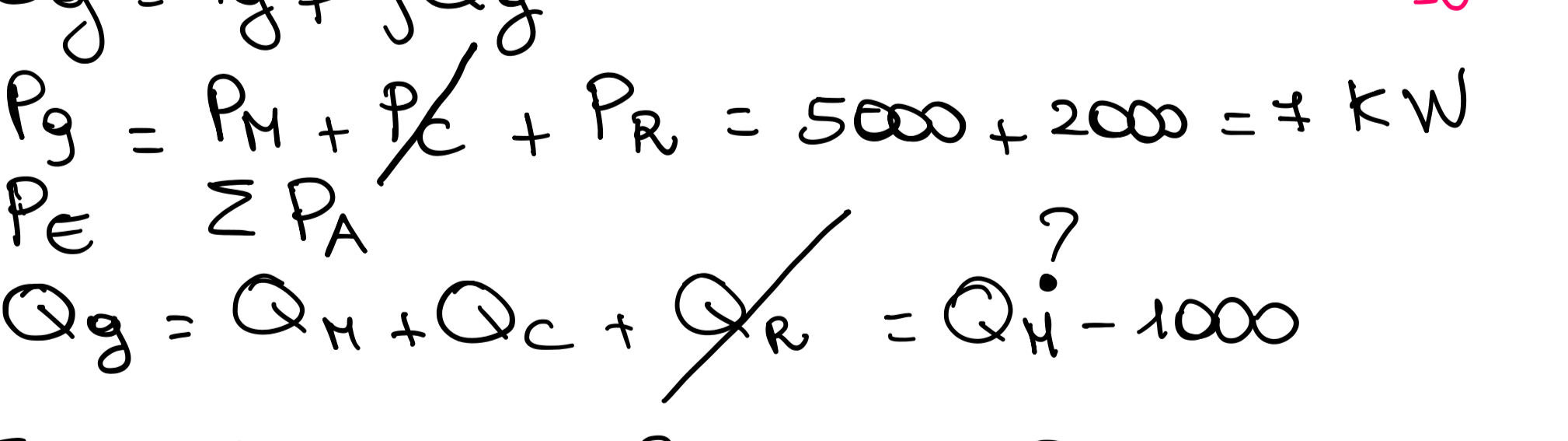
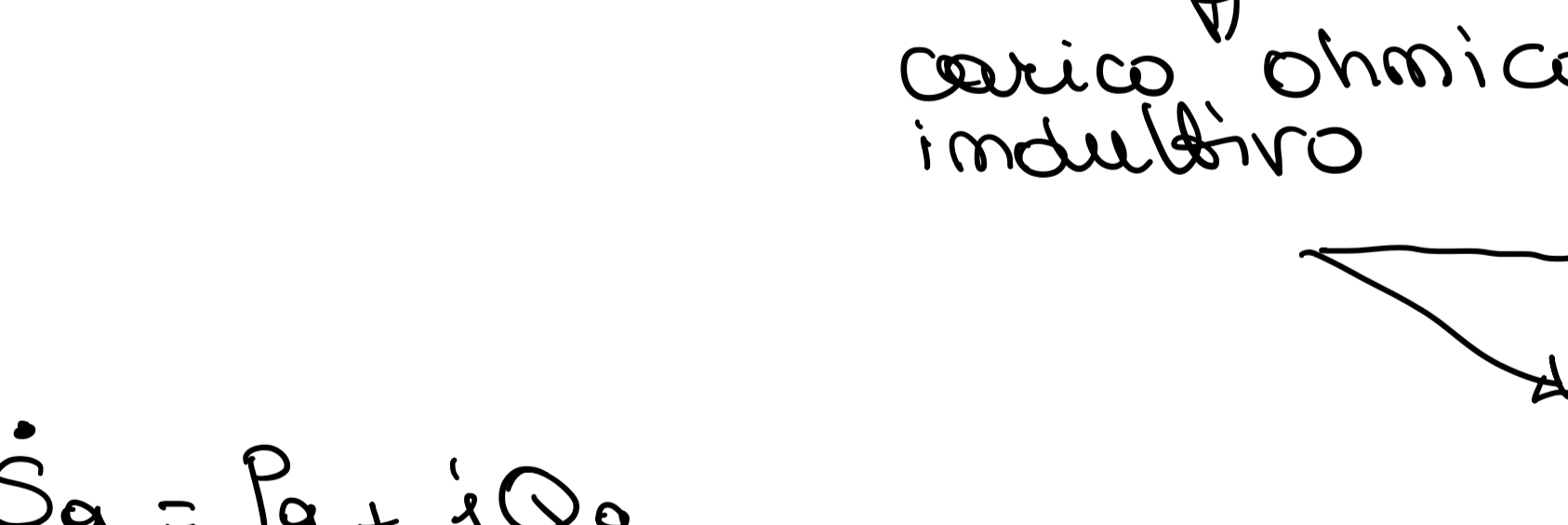
$$R + \frac{1}{j\omega C}$$

$$R = 9,41 \quad \omega = 1 \text{ rad/s}$$

$$\frac{1}{C} = 22,3 \quad C = \frac{1}{22,3} = 0,045 \text{ F}$$



Realizzazione parallelo?



Det. la potenza complessa erogata dal generatore e lo sfasamento tra la tensione e la corrente erogata.

Motori $P_H = 5 \text{ KW}$
 $\cos \varphi = 0,8$ ritardo
 carico ohmico induttivo

$$S_g = P_g + jQ_g$$

$$P_g = P_H + P_C + P_R = 5000 + 2000 = 7 \text{ KW}$$

$$Q_g = Q_H + Q_C + Q_R = Q_H - 1000$$

Trovo Q_H , noto P_H e $\cos \varphi$

$$Q_H = P_H \tan \varphi \quad \cos \varphi = 0,8$$

$$\varphi = \arccos 0,8 = 36,87^\circ = 0,64 \text{ rad}$$

$$\tan \varphi = 0,75$$

$$Q_H = 5000 \cdot 0,75 = 3750 \text{ VAR} > 0 \quad \text{OK}$$

$$Q_g = Q_H - 1000 = 3750 - 1000 = 2750 \text{ VAR}$$

$$\tan \varphi_g = \frac{Q_g}{P_g} = \frac{2750}{7000}$$

$$\varphi_g = \arctan \frac{2750}{7000} = 0,37 \text{ rad}$$

È un carico da rifasare?
 Guardo il $\cos \varphi_g$
 $\cos \varphi_g = 0,93 > 0,9$
 Non è da rifasare.

